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Consider the equation

$$\underset{c}{f} = \underset{u}{f} - A \ddot{\underset{u}{f}} - B \underset{u}{a}, \quad (1)$$

where " $\underset{c}{f}$ " and " $\underset{u}{f}$ " denote force measurement six-vectors 74 and 71, corrected and uncorrected for inertial errors, respectively; where " a " denotes acceleration six-vector 73; where " A " and " B " denote the six by six constant matrices 68 and 69, and where the number of dots placed over an instance of a variable quantity denote the order of time derivative with which the variable is taken in the instance. Equation 1, then, closely approximates the calculations of Fig. 5 subject to the bandwidth limitation intentionally placed on all variables.

It has been determined empirically that matrices " A " and " B " may be found such that " $\underset{c}{f}$ " very much more closely approximates the true unknown applied force " f " than does " $\underset{u}{f}$ ". It is also demonstrated in the hereinafter presented analysis, that this is a reasonable expectation. Where, as for the calibration measurement vectors, the applied force " f " and the desired estimate of it " $\underset{c}{f}$ " may both be taken to be zero, we have the